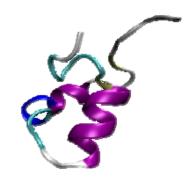
National Institute of Allergy and Infectious Diseases

2019 Health Innovations Conference

Using deep learning to improve antimicrobial peptide recognition

Tuesday, 19 March 2019

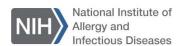


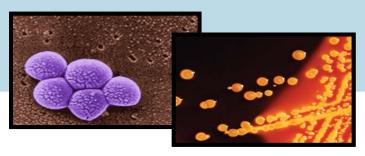


Motivation

- Reports of antibiotic resistance have increased despite a slowdown in new antibiotics coming to market in recent decades,
- The U.S. Center for Disease Control reports over 2 million infections and 23,000 deaths each year due to antibioticresistant bacteria and fungi in the U.S. [1],
- The WHO has put out numerous reports warning of the risks of resistant bacteria to hospitals around the world.

[1] CDC: https://www.cdc.gov/drugresistance/about.html

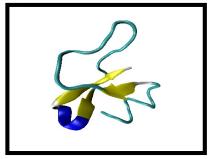




Methicillin-resistant *Staphylococcus aureus* (left) Carbapenem-resistant Enterobacteriaceae (right)



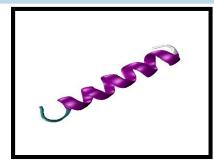
Antimicrobial Peptides (AMPs)



Beta Defensin 1

Homo sapiens

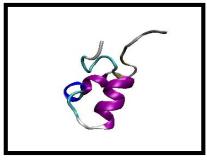
PDB: 1IJV



Magainin 2

Xenopus laevis

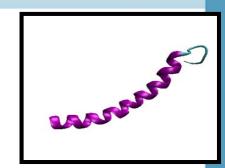
PDB: 2MAG



Aurelin

Aurelia aurita

PDB: 2LG4



Cathelicidin LL-37 *Homo sapiens*PDB: 2K60

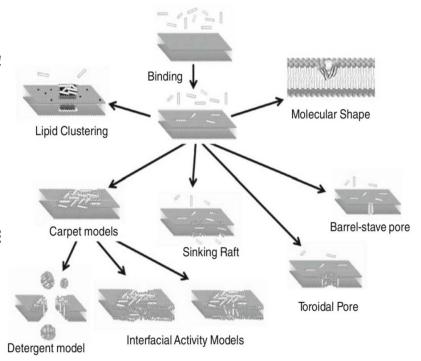
- One promising area for new antibiotic research has been natural AMPs- short peptides with innate antibacterial activity found across all phyla,
- To date, efforts to design and/or modify AMPs have had limited success in delivering new drugs to market.



AMPs are Complicated!

- Amino acid (AA) physicochemical properties are important for AMP activity (*charge, hydrophobic etc.*),
- AMPs are highly diverse, both in sequence and killing mechanism,
- We still do not know exactly how physicochemical properties relate to AMP activity- knowledge needed to guide AMP design.





Some proposed AMP attack mechanisms

Figure Source: Wimley (2011) J. of Mem. Bio. 239(1):27-34.

Prior AMP Classification Work

- Most work to date has focused on AMP recognition- taking query peptide sequences and assigning AMP or non-AMP labels,
- Top techniques report accuracies in the high 80 to mid 90% range,
- Approaches often pair physicochemical properties with sliding window averages or machine learning algorithms like artificial neural networks (ANN), support vector machines (SVM), etc.,
- A major issue in the field is that few groups make their code or complete data sets available. This makes it difficult to perform reliable comparisons as a "gold standard" benchmark data set is not currently available.



Prior AMP Classification Performance

Performance Performance

Matthew's Correlation Coefficient (MCC):

C

$$MCC = \frac{(TP \times TN) - (FN \times FP)}{\sqrt{(TP + FN)x(TN + FP)x(TP + FP)x(TN + FN)}}$$

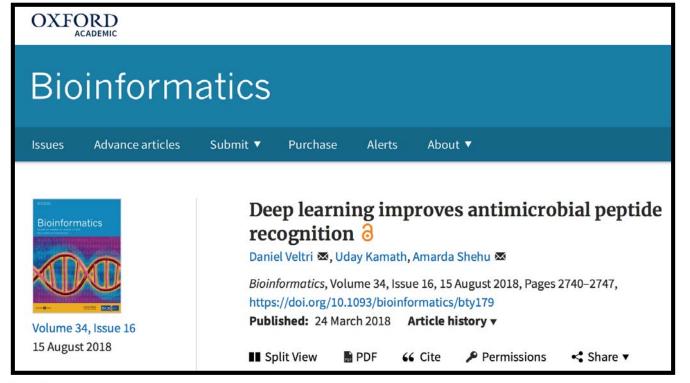
MCC values range from -1 to 1, with 1 denoting perfect classification performance.

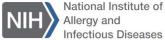
TP = True Positive, TN = True Negative, FP = False Positive, FN = False Negative

Xiao et al. (2013)	Fuzzy K-Nearest Neighbor	0.84
Meher et al. (2017)	SVM	0.84



Using Deep Learning for AMP Classification





Deep Neural Networks (DNN) in the News...



NATURE | NEWS & VIEWS | FORUM



Artificial intelligence: Learning to play Go from scratch

Satinder Singh, Andy Okun & Andrew Jackson

Affiliations | Corresponding authors

Nature 550, 336–337 (19 October 2017) | doi:10.1038/550336a Published online 18 October 2017





In March 2016, the artificial-intelligence program AlphaGo defeated a world Go champion, Lee Sedol.

Lee Jin-Man/AP/Rex/Shutterstock

Go board image from Wikimedia Foundation

Deep Learning Packages So many flavors to choose from...









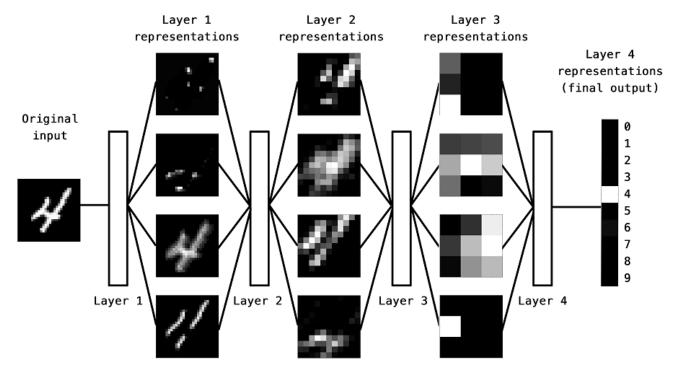


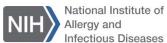






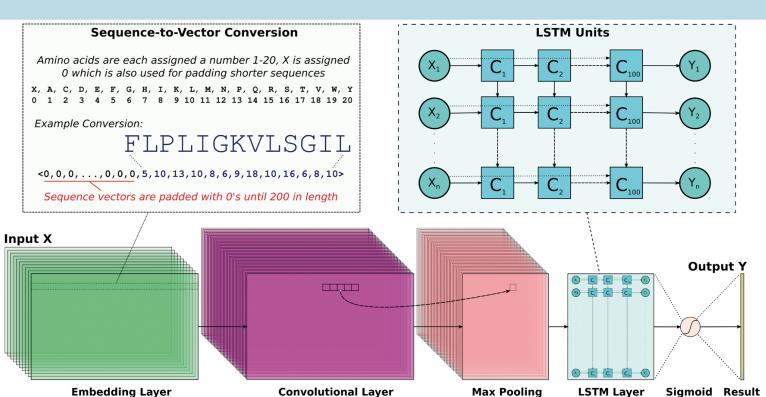
Deep Neural Networks Have Multiple Layers





Source: Chollet and Allaire "Deep Learning with R" pp.9, 2018.

Our Model Architecture



Max Pooling

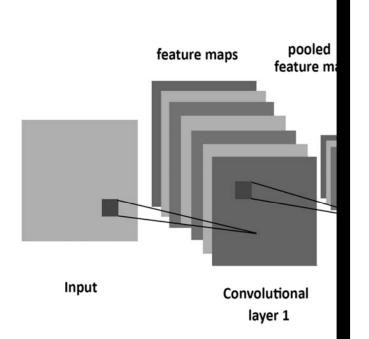
Convolutional Layer



Sigmoid Result

LSTM Layer

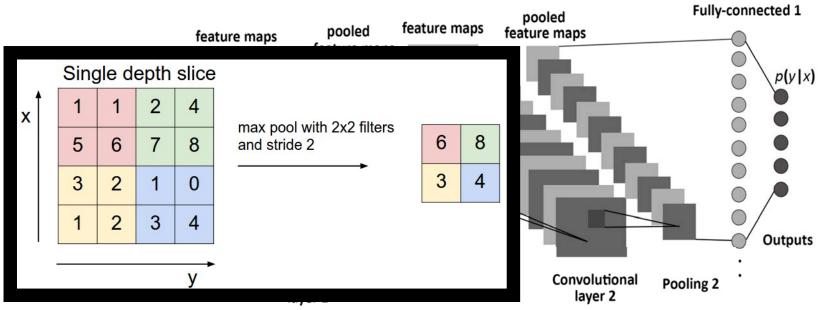
Convolutional Layers



1	1	1 _{×1}	0,×0	0 _{×1}				
0	1	0,0	1,	0,0		4	3	4
0	0	1,	0,0	1,				
0	0	1	1	0				
0	1	1	0	0	'			
lmage			Convolve			ved		
Image				Feature				

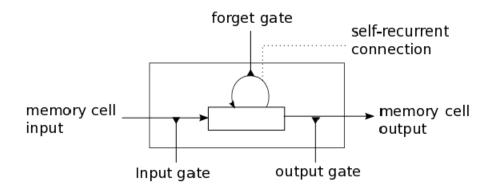


Pooling Layer





Long Short-Term Memory (LSTM)



Direction of Reading →

Ignore!

...TCCGCGATCGTTCGGGTGGCCTTTAATATTATGTGCGCGTTAGCTGGTCACGCG

Recognize Pattern!



Original LSTM Paper: Hochreiter and Schmidhuber (1997) Long short-term memory.

Figure: deeplearning.net

Data Set Construction

- AMPs were taken from the Antimicrobial Peptide Database vr3 (aps.unmc.edu/AP).
 Removed any <10 AA in length or sharing ≥90% sequence identity,
- Non-AMPs taken from UniProt using keyword filtering. Removed any <10 AA in length or sharing ≥40% sequence identity,
- Randomly selected even number of AMPs and Non-AMPs for each partition: 712 Training,
 354 Tuning, and 712 Testing.



Model Training and Testing Performance

Training set	Evaluation set	SENS(%)	SPEC(%)	ACC(%)	мсс	auROC(%)
Train-Only	Train	98.60	98.87	98.69	0.9706	99.87
Train-Only	Tune	95.76	83.85	87.80	0.7582	96.67
Train+Tune	Train+Tune	97.19	99.53	98.36	0.9674	99.75
Train+Tune	Test	89.89	92.13	91.01	0.8204	96.48
All Data	All Data	98.26	99.66	98.96	0.9793	99.94
All Data	10-fold CV	88.81 (±3.53)	94.21 (±2.68)	91.51 (±0.89)	0.8327 (±0.02)	96.58 (±0.66)



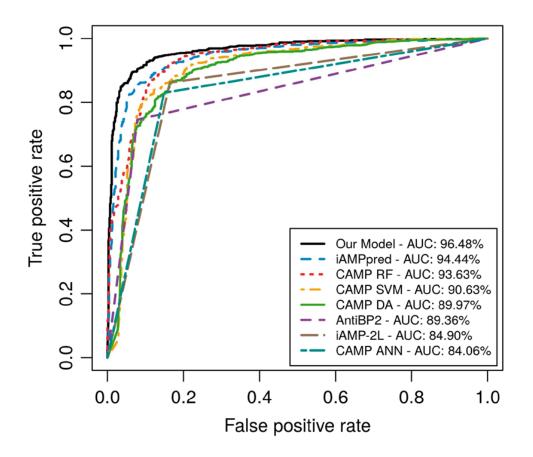
A Head-to-Head AMP Server Comparison

Classification performance on our testing data set

Method	SENS(%)	SPEC(%)	ACC(%)	мсс	auROC(%)
AntiBP2 (imtech.res.in/raghava/antibp2)	87.91	90.80	89.37	0.7876	89.36
CAMP-ANN (camp.bicnirrh.res.in/predict)	82.98	85.09	84.04	0.6809	84.06
CAMP-DA	87.08	80.76	83.92	0.6797	89.97
CAMP-RF	92.70	82.44	87.57	0.7554	93.63
CAMP-SVM	88.90	79.92	84.41	0.6910	90.63
iAMP-2L (jci-bioinfo.cn/iAMP-2L)	83.99	85.86	84.90	0.6983	84.90
iAMPpred (cabgrid.res.in:8080/amppred)	89.33	87.22	88.27	0.7656	94.44
Our DNN	89.89	92.13	91.01	0.8204	96.48



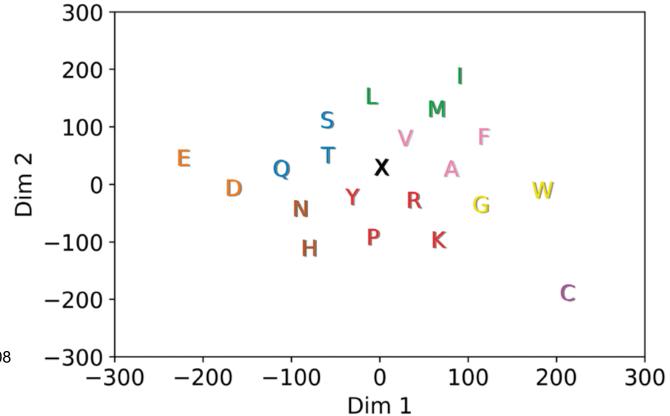
AMP Server Comparison ROC Curve





Embedding Vector of Amino Acids

A 2D t-SNE [1] projection of the 128 dim. AA embedding vectors. K-means (*k*=9) used to select clusters



[1] Van der Maaten et al.J. Machine Learn. Res., 2008

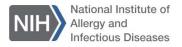


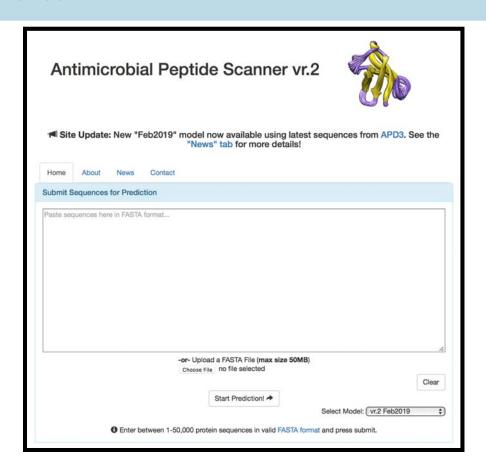
AMP Scanner vr.2 Website

Feel free to try our methods out at:

www.ampscanner.com

Data sets are available to download and contact information if you would like the code from me!





Building a Generative Model for AMP-like Sequences

Guiding Exploration of Antimicrobial Peptide Space with a Deep Neural Network

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Abstract-Antibiotic resistance has become a serious concern, and many health organizations are sounding the alarm and the need for new drug templates. Naturally-occurring antimicrobial peptides (AMPs) have long promised to serve as such templates, as they have shown lower likelihood for bacteria to form resistance. This has motivated wet and dry laboratories to seek

These peptides fall into a number of diverse sequence families (e.g. cathelicidins, defensins, cecropins, etc.), are diverse in secondary and tertiary structure, and kill their targets through various mechanisms, such as cell membrane damage, DNA interference, or signaling for adaptive immune responses [8].



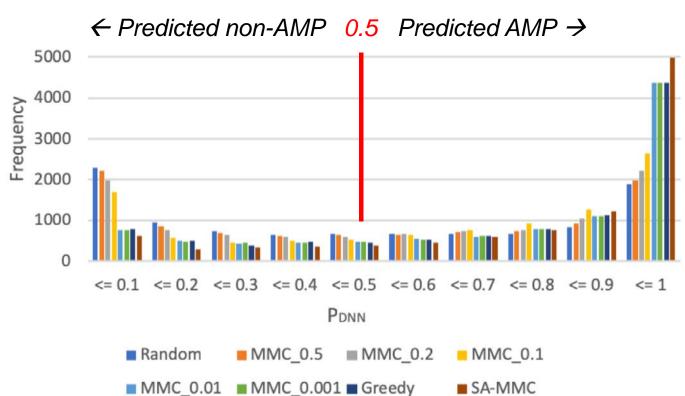
4 Different Sampling Methods

- RANDOM-randomly select AAs and a total peptide length (L) from a population of training AMPs (baseline method),
- GREEDY-Perform RANDOM, then select (L+1) AA's to substitute with changes that improve AMP probability (use prior deep learning model to judge),
- Metropolis Monte Carlo (MMC)- Perform GREEDY but, with a small probability, accepted worse AA changes. Temperature (T) parameter decides how often we do this (higher T → more changes → more diverse sequences),
- Simulated Annealing (SA-MMC)- Similar to MMC above but starts with a high T to start more diverse and gradually lowers T over time to become greedier.



Distribution of *All* **Generated Peptides**

The simulated annealing (SA-MCC) method performs best- it generates the most sequences predicted to be antimicrobial





Future Directions

- Now that we can generate and evaluate AMP sequences, can we use adversarial learning to build improved AMP classifiers?
- More work needs to be done predicting how AMPs may work against specific bacteria of medical interest. Can we do better at predicting MIC, EC50 etc.?



Collaborators



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Special thanks to members of NIAID BCBB, the Shehu lab and Jianlin Cheng (U. Missouri) for their helpful feedback and suggestions.



Thank you for listening!

Questions?

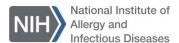


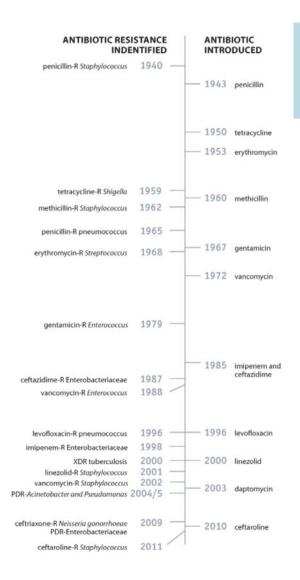
Extra Slides



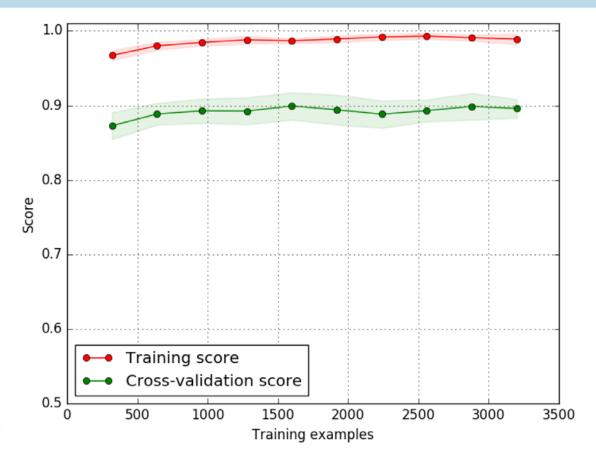
Antimicrobial Resistance Rates

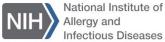
Source: US Center for Disease Control https://www.cdc.gov/drugresistance/about.html





Learning Curves (10-Fold CV)



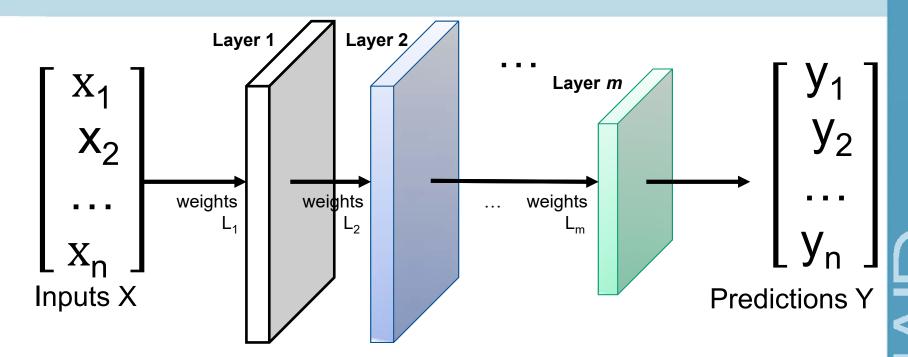


Performance Comparison on Other AMP Data Sets

Method	Data Set	No. AMPs (Overlap)	No. Non-AMPs (Overlap)	ACC(%)	MCC
Our DNN				92.95	0.860
AntiBP2				91.64	0.831
CAMP ANN	Lata et al. 2010	999 (75%)	999 (0%)	81.03	0.624
CAMP DA				84.28	0.690
CAMP RF				87.09	0.752
CAMP SVM				86.69	0.739
iAMP-2L				86.34	0.735
iAMPpred				92.84	0.858
Our DNN				90.93	0.827
AntiBP2				85.30	0.706
CAMP ANN	Fernandes et al. 2012	115 (62%)	116 (0%)	77.06	0.553
CAMP DA				77.06	0.572
CAMP RF				79.65	0.640
CAMP SVM				77.06	0.584
iAMP-2L				87.90	0.759
iAMPpred				84.00	0.691
Our DNN				97.42	0.949
AntiBP2				89.10	0.781
CAMP ANN	Xiao et al. 2013	Train Set: 878 (77%)	Train Set: 2368 [†] (0.3%)	80,00	0.610
CAMP DA		Test Set: 920 (62%)	Test Set: 920 (0%)	71.79	0.487
CAMP RF		rest Set: 920 (62%)	lest Set: 920 (0%)	65.27	0.396
CAMP SVM				67.77	0.429
iAMP-2L				92.23	0.845
iAMPpred				72.99	0.509

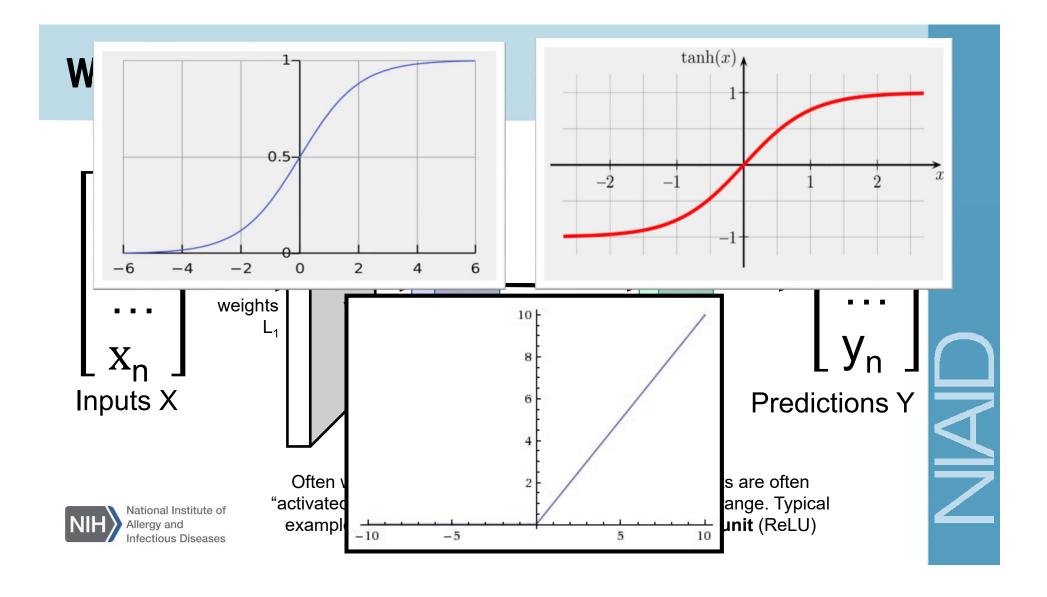


Weights and Layers





Often weights are randomly initialized and layer outputs are often "activated" using functions to force numbers in a certain range. Typical examples include: **sigmoid**, **tanh**, and **rectifier linear unit** (ReLU) functions.



Weights and Layers – Optimizing the Network Start Round 2 Layer 2 Layer 1 of Training! Layer m weights weights ··· weights Inputs X Predictions Y' Apply scoring Optimizer function using National Institute of Allergy and (adjust weights) actual Y values Infectious Diseases

Optimizing via Backpropagation The Secret Sauce of Deep Neural Networks (DNNs)



- How do DNNs learn so well? The key is they compute answers across layers in a forward pass and then to use a backwards pass to optimize the weights. This way all layers are updated each round (sometimes called an 'epoch') of training!
- How does this backward pass work? **The chain rule** (remember from calculus?) where we can calculate the derivative (the slope or rate of change) from *two or more* functions.

You might have seen this written as: $(f \circ g)' = (f' \circ g) \cdot g'$

or maybe like this: $\frac{dz}{dx} = \frac{dz}{dy} \cdot \frac{dy}{dx}$ or maybe like this: F'(x) = f'(g(x))g'(x)

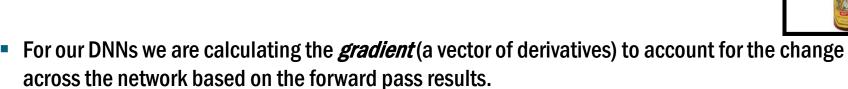


The takeaway: we can calculate the derivative using multiple functions at the same time!



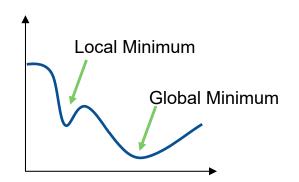
nge =

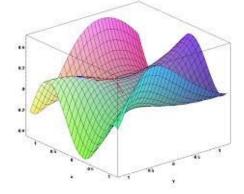
Optimizing via Backpropagation The Secret Sauce of Deep Neural Networks (DNNs)



• Given a function f(x) where x's are our **training** inputs- the gradient forms a vector: $\nabla f(x) =$

$$\left[\frac{\partial f}{\partial x}, \frac{\partial f}{\partial y}\right] = [y, x]$$







Some Backpropagation Intuition

Lets look at multiplication:

$$f(x,y) = xy \rightarrow \frac{\partial f}{\partial x} = y \quad \frac{\partial f}{\partial y} = x$$

If
$$x = 4$$
 and $y = -3$

$$f(x,y) = -12$$
 $\frac{\partial f}{\partial x} = -3$ $\frac{\partial f}{\partial y} = 4$

Lets look at basic addition:
$$f(x,y) = x + y \rightarrow$$
 ???



What happens to each function if we change *x* ... or change y?



Some Backpropagation Intuition

Lets look at *multiple* functions:

$$f(x, y, z) = (x + y) z$$

We can rewrite this as: q = x + y and f = qz

SO
$$\frac{\partial f}{\partial q} = \mathbf{z}$$
, $\frac{\partial f}{\partial z} = \mathbf{q}$... for $(x + y)$ as we saw before: $\frac{\partial f}{\partial x} = \mathbf{1}$, $\frac{\partial f}{\partial y} = \mathbf{1}$

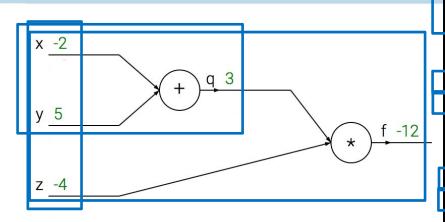
The **chain rule** says **multiply**: $\frac{\partial f}{\partial x} = \frac{\partial f}{\partial q} \cdot \frac{\partial q}{\partial x}$



Lets look at this with code and a visual representation!



Backpropagation Example



Forward pass is green. Backward pass is red.

set some inputs x = -2; y = 5; z = -4

perform the forward pass

q = x + y # q becomes 3

f = q * z # f becomes -12

perform the backward pass (backpropagation) # first backprop through f = g * z

dfdq = z # df/dq = z, so gradient on q becomes -4

dfdz = q # df/dz = q, so gradient on z becomes 3

now backprop through q = x + y

dfdx = 1.0 * dfdq # dq/dx = 1 chain rule!

dfdy = 1.0 * dfdq # dq/dy = 1

The big takeaway: The final gradient $\left[\frac{\partial f}{\partial x}, \frac{\partial f}{\partial y}, \frac{\partial f}{\partial z}\right]$ tells us how sensitive on our function f is to the variables x, y, and z.

